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12 Dividing Fractions



Objective

To divide with fractions

1 Introduction

Review how to find the reciprocal of a fraction (flip the numerator and the denominator) and how to multiply fractions (multiply the numerators, then multiply the denominators). Then explain to students that to divide fractions, multiply the dividend by the reciprocal of the divisor. Use the examples on the page to review how to change a mixed number to an improper fraction and how to cross out common factors when multiplying fractions.

Think About It 🔙

Students may relate a situation such as dividing a measurement of $2\frac{1}{2}$ cups by $\frac{1}{4}$ because they only have a $\frac{1}{4}$ -cup measuring cup. Whatever situation they describe, they should show understanding of when division of fractions is needed.

Common Core State Standard

6.NS.1 Interpret and compute quotients of fractions, and solve word problems involving division of fractions by fractions, e.g., by using visual fraction models and equations to represent the problem.

Vocabulary

reciprocal: the number by which another number is multiplied to equal a product of 1

Focused Instruction

First, students work through a division problem that presents the opportunity to cancel common factors, making it easier to perform the multiplication. Students should recognize that by canceling common factors, they simplify the computation process because they compute with smaller numbers and they do not have to simplify the answer.

Next, students use a fraction model to help them divide. The fraction bar represents 1 whole, so first students divide it in half. Then they divide each half into 5 parts to represent the 5 friends. Since there are a total of 10 parts in the pound and each friend gets 1, each friend gets $\frac{1}{10}$ of a pound. This is the same result as using division.

Conclude the Focused Instruction section by having students solve two division problems.

Guided Practice

Students should complete the Guided Practice section on their own. Offer assistance as needed, pointing out the reminder and hint boxes along the right side of the page.

Connections to Standards for Mathematical Practice

- Make sense of problems and persevere in solving them.
- Model with mathematics.
- Attend to precision.
- Look for and make use of structure.
- Look for and express regularity in repeated reasoning.





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Independent Practice Answer Rationales

- 1 To find the answer, divide 8 by $\frac{3}{4}$: 8 ÷ $\frac{3}{4} = \frac{8}{1} \times \frac{4}{3} = 10\frac{2}{3}$. Choice C is correct. Choice A results when 8 is multiplied by $\frac{3}{4}$. Choice B results when the dividend and the divisor are combined as a mixed number. Choice D results when the quotient is incorrectly simplified.
- **PART A** The number line should be divided into 6 sections to represent the 6 sandwiches. Each section should be divided into thirds, because each $\frac{1}{3}$ of a sandwich is 1 serving.

PART B The equation should show the total sandwiches divided by amount of 1 serving: $6 \div \frac{1}{3}$.

PART C Calculate the total number of people Manuel can feed and compare it with the people coming to the party: $6 \div \frac{1}{3} = \frac{6}{1} \times \frac{3}{1} = \frac{18}{1} = 18$. Since the sandwiches will feed 18 people and there are 16 people coming, each person will be able to have at least one serving.

Extension Activity

Divide the class into four or five groups. Give each group a container with a fractional amount of a snack (e.g., $\frac{1}{2}$ pound of pretzels, $2\frac{3}{4}$ cups of raisins, etc.). The groups must first divide to find how much each person will get. Then they will use measuring cups or scales to divide the amount evenly and check their answer.

3 PART A Area of a rectangle equals length times width, so dividing the area by the width will give the length. To change each mixed number to an improper fraction, multiply the whole number and the denominator, then add the numerator. The denominator stays the same:

 $1,035\frac{2}{9} = \frac{1,035 \times 9 + 2}{9} = \frac{9,317}{9}; 25\frac{2}{3} = \frac{25 \times 3 + 2}{3} = \frac{77}{3}.$ The equation to find the width is $\frac{9,317}{9} \div \frac{77}{3} = \square.$

PART B Find the reciprocal of the divisor and then multiply: $\frac{9,317}{9} \div \frac{77}{3} = \frac{9,317}{9} \times \frac{3}{77} = \frac{121}{3} = 40\frac{1}{3}$. The width is $40\frac{1}{3}$ feet.

4 The fraction model shows $12 \div \frac{3}{4}$. To find the quotient, multiply by the reciprocal of $\frac{3}{4}$. The whole number 12 is written as a fraction by giving it a denominator of 1. Multiply and cancel common factors: $\frac{4}{\cancel{2}} \times \frac{4}{\cancel{2}} = 16.$

5 Divide the perimeter of the square by 4: $40\frac{5}{8} \div 4 = \frac{325}{8} \times \frac{1}{4} = \frac{325}{32} = 10\frac{5}{32}$. So each side of the square is $10\frac{5}{32}$ feet long.

6 Speed is found by dividing distance by time $\left(speed = \frac{d}{t}\right): 330\frac{1}{3} \div 5\frac{1}{4} = \frac{991}{3} \times \frac{4}{21} = \frac{3,964}{63} = 62\frac{58}{63}$ miles per hour.

- 7 The first statement is true, because the reciprocal of a whole number is 1 over the whole number. The second statement is false, because the reciprocal of $\frac{25}{3}$ is $\frac{3}{25}$. The third statement is false. The quotient of $4\frac{1}{2} \div 2$ is $2\frac{1}{4}$, not $2\frac{1}{2}$. The fourth statement is false. The quotient of $\frac{3}{4} \div \frac{8}{3}$ is $\frac{3}{4} \times \frac{3}{8} = \frac{9}{32}$, not 2.
- 8 To find the size of each piece of land, divide $\frac{2}{3}$ by 3: $\frac{2}{3} \div 3 = \frac{2}{3} \times \frac{1}{3} = \frac{2}{9}$ Choice B is correct. Choice A is the result of dividing $\frac{2}{3}$ by 2, not 3. Choices C and D do not make sense since they show numbers larger than the initial piece of land.



 $(B) \frac{2}{9}$ acre

C 2 acres
D 2¹/₃ acres

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